Solving Systems of Equations by Elimination

(Double Multiplication)

Sometimes, none of the variables have the similar coefficients or can have similar coefficients after multiplying one equation.

In this case, we have to multiply **<u>BOTH</u>** equations.

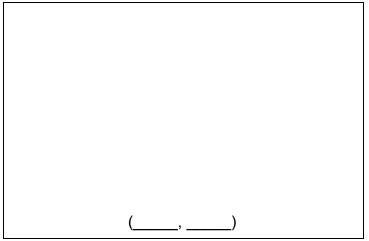
Example 1:

Solve the system using elimination:

4x + 2y = 83x + 3y = 9

Step 1: Put the equations in Standard Form	They already are.
Step 2: Determine which variable to eliminate.	of the coefficients are the Find the
	LCM x = LCM y =
	Which is earlier to obtain?
Step 3: Multiply the equations.	Multiply the <u>first</u> equation by
	Multiply the second equation by
Step 4: Add or subtract to eliminate one variable.	
Step 5: Plug back in to find the other	

variable.

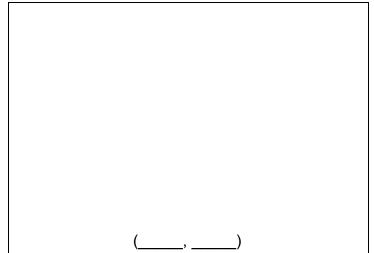


Example 2: Solve the system using elimination:

$$2x + 5y = 11$$
$$4x + 3y = 1$$

They already are.
of the coefficients are the Find the LCM x = LCM y =
Which is earlier to obtain?
Multiply the first equation by
Multiply the second equation by

Step 5: Plug back in to find the other variable.

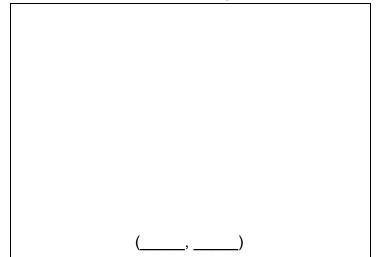


Example 3: Solve the system using elimination:

5x + y = 910x - 7y = -18

Step 1: Put the equations in Standard Form	They already are.
Step 2: Determine which variable to eliminate.	of the coefficients are the Find the LCM x = LCM y =
	Which is earlier to obtain?
Step 3: Multiply the equations.	Multiply the first equation by
	Multiply the second equation by
Step 4: Add or subtract to eliminate one variable.	

Step 5: Plug back in to find the other variable.



Example 4: Solve the system using elimination:

$$-3x + 7y = -16$$

 $-9x + 5y = 16$

Step 1: Put the equations in Standard Form	They already are.
Step 2: Determine which variable to eliminate.	of the coefficients are the Find the LCM x = LCM y =
	Which is earlier to obtain?
Step 3: Multiply the equations.	Multiply the first equation by
	Multiply the second equation by
Step 4: Add or subtract to eliminate one variable.	

Step 5: Plug back in to find the other variable.

